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**The Option Greeks
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Pricing Factors

The Greeks

- Price oriented
- Time related
- Volatility
- Interest rate
- Summary

- Option Pricing Factors
- The Greeks
- Trading with the Greeks
- Summary / Q&A

Several factors influence the price of an option –

Underlying (Stock or Index) Price

Strike Price

Time To Expiration

Dividends

Interest Rates

Implied Volatility

Pricing Calculator Example –

| Inputs | | Output | Call | Put |
|---------------|-------|---------------|-------------|------------|
| Price | 51.00 | Option Value | 1.90 | 1.10 |
| Strike | 50.00 | Delta | 0.60 | -0.40 |
| Days to Exp. | 30 | Gamma | 0.12 | 0.11 |
| Dividends | 1.95% | Theta | -0.02 | -0.02 |
| Interest Rate | 1% | Vega | 0.05 | 0.06 |
| Volatility | 25% | Rho | 0.01 | -0.01 |

Categories –

Underlying Price

Time to Expiration

Implied Volatility

Interest Rates

Delta / Gamma

Theta

Vega

Rho

Delta –

- Delta represents an options price change relative to the underlying price change
- Is an absolute number between 0 and 1 or in a percent term between 0% and 100%
- Delta for a call is positive
- Delta for a put is negative

Basic Call Example –

Stock @ 40.00

Call @ 3.00

Call Delta = .50 or 50%

Stock @ 41.00 +1.00

Call @ 3.50 +.50 or (.50 x 1.00)

Basic Put Example –

Stock @ 40.00

Put @ 3.00

Put Delta = $-.50$ or -50%

Stock @ 41.00 +1.00

Put @ 2.50 $-.50$ or $(-.50 \times 1.00)$

Underlying Price - Delta

Delta Example – Stock @ 41.00

40 Call Delta = .65 / 40 Put Delta = -.35

| Stock Price | 40 Call | 40 Put |
|--------------------|----------------|---------------|
| 40.00 | 1.35 | 1.30 |
| 41.00 | 2.00 | 0.95 |
| 42.00 | 2.65 | 0.60 |

Gamma –

- The change in Delta based on a change in the underlying
- Is quoted as a value based on a 1 point move in the underlying
- Gamma could be considered the “Delta of the Delta”
- Is a positive number for both calls and puts

Basic Call Example –

Stock @ 40.00

Call Delta = .50 or 50%

Call Gamma = .05

Stock @ 41.00 +1.00

Call Delta = .55 (.50 + .05)

Basic Put Example –

Stock @ 40.00

Put Delta = $-.50$ or -50%

Put Gamma = $.05$

Stock @ 41.00 +1.00

Put Delta = $-.45$ ($-.50 + .05$)

Delta & Gamma Call Example –

Stock @ 44.00, 45 Call @ 2.00

45 Call Delta = .45, 45 Call Gamma @ .05

| Stock Price | 45 Call | Delta | Gamma |
|--------------------|----------------|--------------|--------------|
| 44.00 | 2.00 | 0.45 | 0.05 |
| 45.00 | 2.47 | 0.50 | 0.04 |
| 46.00 | 2.99 | 0.54 | 0.04 |

Delta & Gamma Call Example –

Stock @ 44.00, 45 Call @ 2.00

45 Call Delta = .45, 45 Call Gamma @ .05

| Stock Price | 45 Call | Delta | Gamma |
|--------------------|----------------|--------------|--------------|
| 44.00 | 2.00 | 0.45 | 0.05 |
| 43.00 | 1.60 | 0.40 | 0.04 |
| 42.00 | 1.26 | 0.36 | 0.04 |

Delta & Gamma Put Example –

Stock @ 44.00, 45 Put @ 2.50

45 Put Delta = $-.55$, 45 Put Gamma @ $.06$

| Stock Price | 45 Put | Delta | Gamma |
|--------------------|---------------|--------------|--------------|
| 44.00 | 2.50 | -0.55 | 0.06 |
| 43.00 | 3.08 | -0.61 | 0.05 |
| 42.00 | 3.81 | -0.66 | 0.04 |

Delta & Gamma Put Example –

Stock @ 44.00, 45 Put @ 2.50

45 Put Delta = $-.55$, 45 Put Gamma @ $.06$

| Stock Price | 45 Put | Delta | Gamma |
|--------------------|---------------|--------------|--------------|
| 44.00 | 2.50 | -0.55 | 0.06 |
| 45.00 | 1.98 | -0.49 | 0.05 |
| 46.00 | 1.51 | -0.44 | 0.04 |

- Delta and Gamma are functions of the price change of the underlying instrument
- Delta directly impacts an option's price change based on the price change of an underlying instrument
- Gamma is the change in the Delta based on the change in the price of an underlying instrument
- Both give a trader an idea what the price reaction of an option may be to a price move

Theta –

- Measure of the amount of value an option loses over a certain period of time
- May be depicted on a daily or multiple day basis
- Works against the value of both call and put options

Basic Call Example

30 Days to Expiration

Call @ 2.05

Theta = .05

29 Days to Expiration (-1 Day)

Call @ 2.00 -.05 or (1 x -.05)

Basic Put Example

30 Days to Expiration

Put @ 2.05

Theta = .05

29 Days to Expiration (-1 Day)

Put @ 2.00 -.05 or (-1 x .05)

Theta – why it's not so simple –

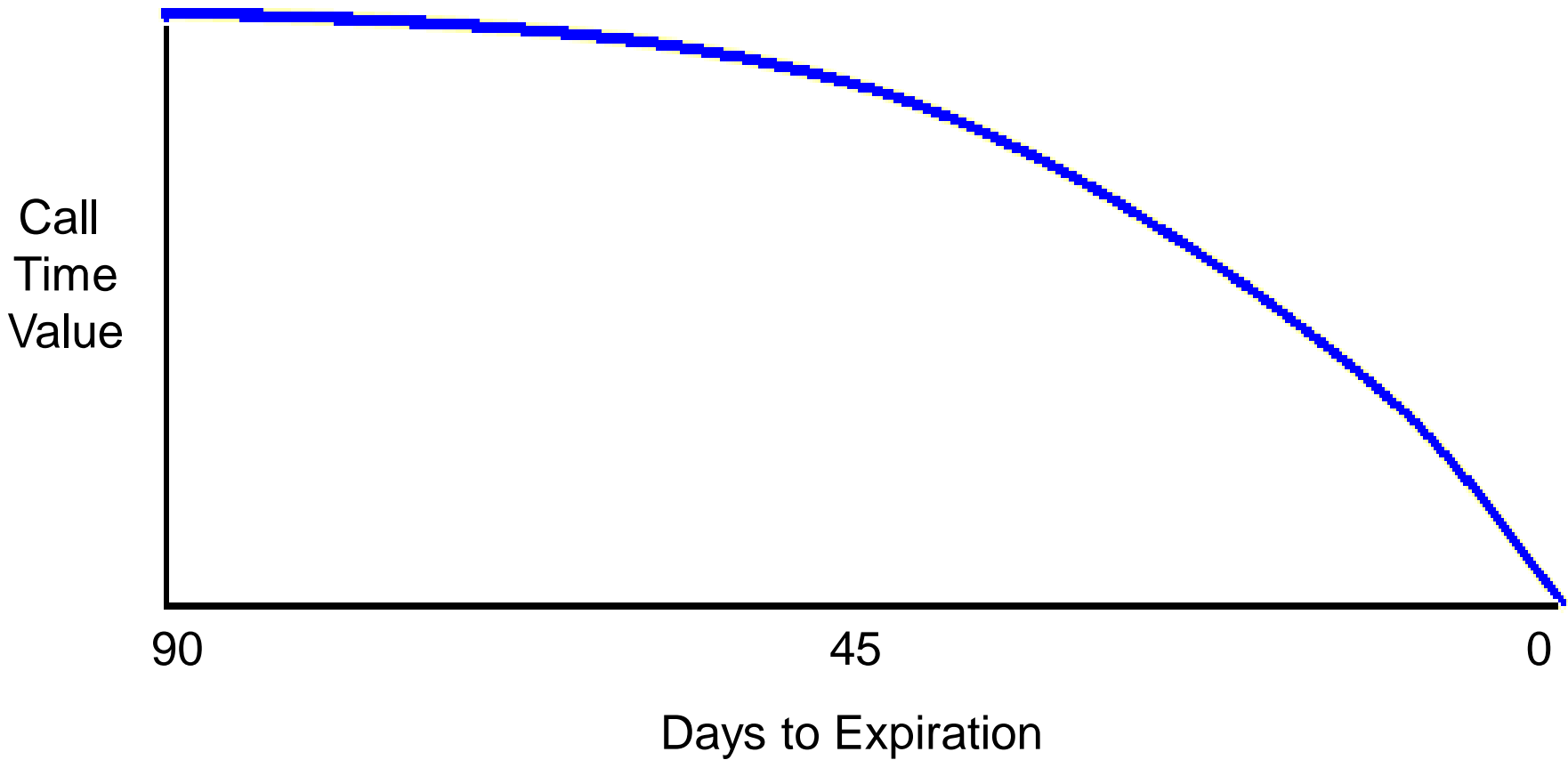
- The level of time value deterioration changes as expiration approaches
- The longer time to expiration, the slower the day to day loss of time value
- At about 45 days to expiration time value starts to deteriorate at an accelerated pace

Theta – Multi Day Example

| Days To Expiration | 45 Call | 7 Day Theta |
|---------------------------|----------------|--------------------|
| 35 | 1.71 | -0.18 |
| 28 | 1.53 | -0.21 |
| 21 | 1.32 | -0.26 |
| 14 | 1.08 | -0.32 |
| 7 | 0.76 | -0.76 |
| 0 | 0.00 | 0.00 |

Time to Expiration - Theta

Time Decay –

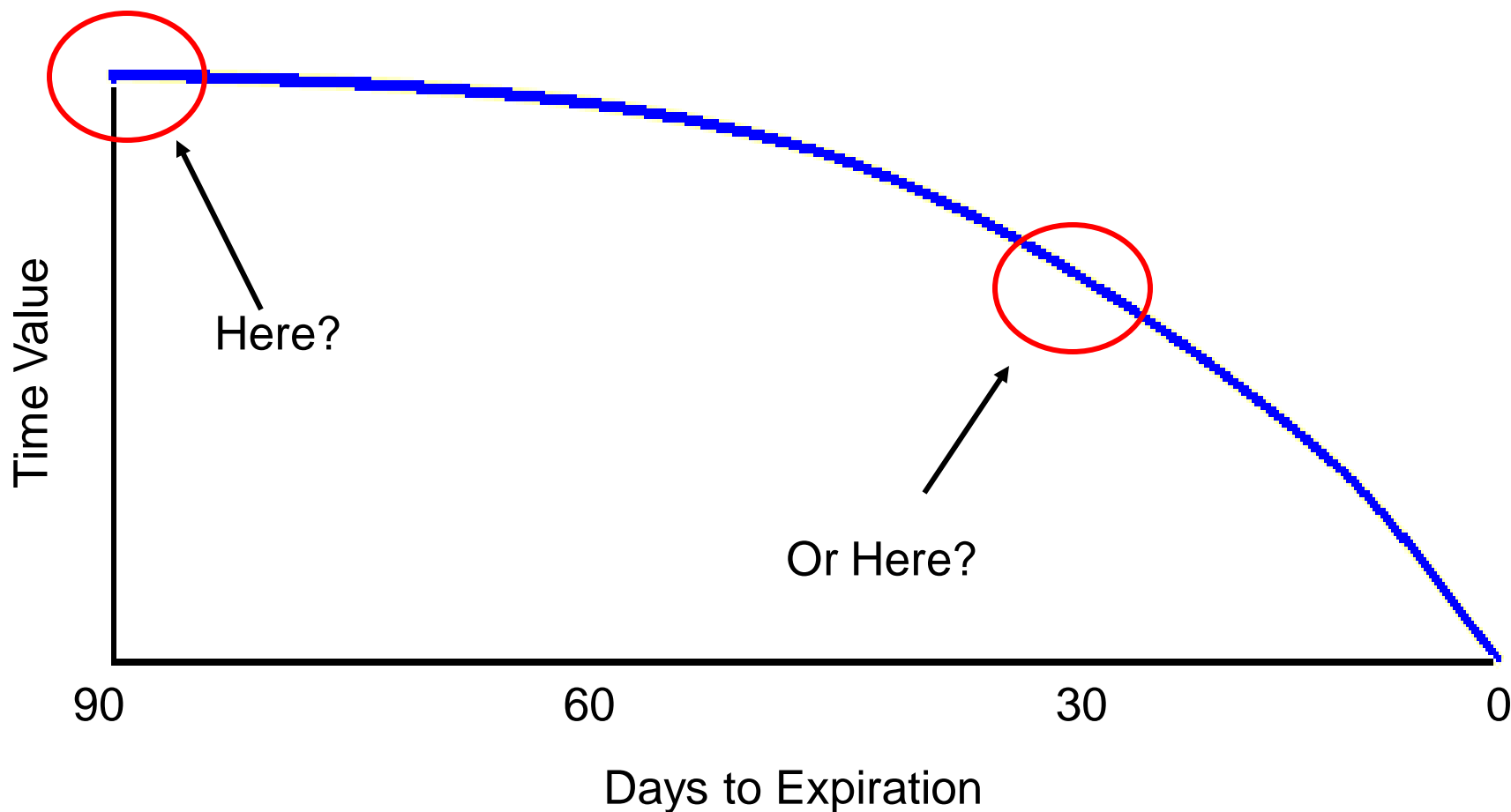


Theta – how to use it to your advantage

- When selling options you benefit from the time value deterioration of the option
- Time to expiration may figure into the Theta of an option
- Theta should be a consideration when choosing an option to sell

Time to Expiration - Theta

Where is better to sell ?



Summary –

- Theta indicates the deterioration of time value of an option over a certain period of time
- Both put and call options experience time deterioration in a similar way
- Theta will vary over the life of an option and the level will accelerate when expiration approaches

Volatility –

- Two types – historical (known) and implied (unknown)
- Historical volatility of a stock may be measured through historical price moves
- Implied volatility is projected by the market through option prices
- Vega relates to implied volatility

Vega –

- Indicates the price change of an option based on a 1% change in volatility
- Is sort of a 'wild card' as it may fluctuate over the life of an option
- Both put and call prices react similarly to a rise or fall in volatility

Vega Single Call Example –

Call @ 4.00, Volatility = 35%, Vega = .15

All else the same –

Volatility = 36% +1%

Call @ 4.15 (.15 x 1)

Vega Single Put Example –

Put @ 3.00, Volatility = 35%, Vega = .15

All else the same –

Volatility = 36% +1%

Put @ 3.15 (.15 x 1)

Implied Volatility - Vega

Volatility = 35%, Vega = .35

| | 30 Call | 30 Put |
|------------|----------------|---------------|
| 34% | 1.65 | 1.55 |
| 35% | 2.00 | 1.90 |
| 36% | 2.35 | 2.25 |

Vega has the same impact on both calls and puts!

Summary –

- Can vary over the life of an option regardless of the other Greeks
- Usually rises in front of an announcement or company event
- Should be taken into account when determining if an option is expensive or cheap

Rho –

- Depicts the effect of a change in interest rates on the value of options
- In the current low interest rate environment Rho is not getting much attention
- Has more of an effect on options with more time to expiration (LEAPS®)

Interest Rates - Rho

Rho –
XYZ @ 67.50, 90 Days to Expiration
30% Volatility

| | 1% | 2% | 3% |
|----------------|-------------|-------------|-------------|
| 65 Call | 5.40 | 5.49 | 5.59 |
| 65 Put | 2.74 | 2.67 | 2.61 |
| 70 Call | 3.02 | 3.08 | 3.15 |
| 70 Put | 5.35 | 5.24 | 5.14 |

Interest Rates - Rho

Rho –
XYZ @ 67.50, 450 Days to Expiration
30% Volatility

| | 1% | 2% | 3% |
|----------------------|--------------|--------------|--------------|
| 65 LEAPS Call | 10.57 | 10.98 | 11.39 |
| 65 LEAPS Put | 7.26 | 6.85 | 6.47 |
| 70 LEAPS Call | 8.36 | 8.72 | 9.09 |
| 70 LEAPS Put | 9.98 | 9.47 | 8.98 |

Rho Review –

- The less time to expiration, the lower the impact of a change in interest rates
- A change in interest rates lowers the value of a put and increases the value of a call
- LEAPS positions more likely impacted by a change in interest rates

- There are 4 categories of Greeks to focus on – price, time, volatility, and interest rates.
- Pricing consists of Delta impacting price and Gamma indicating a potential change in Delta
- The impact of a change in volatility is measured by Vega
- Theta indicates the price deterioration of an option over time
- Interest rates (Rho) may come into play with LEAPS positions or when there is a large shift in interest rates